

Defining Power Balance, Productivity And Efficiencies.

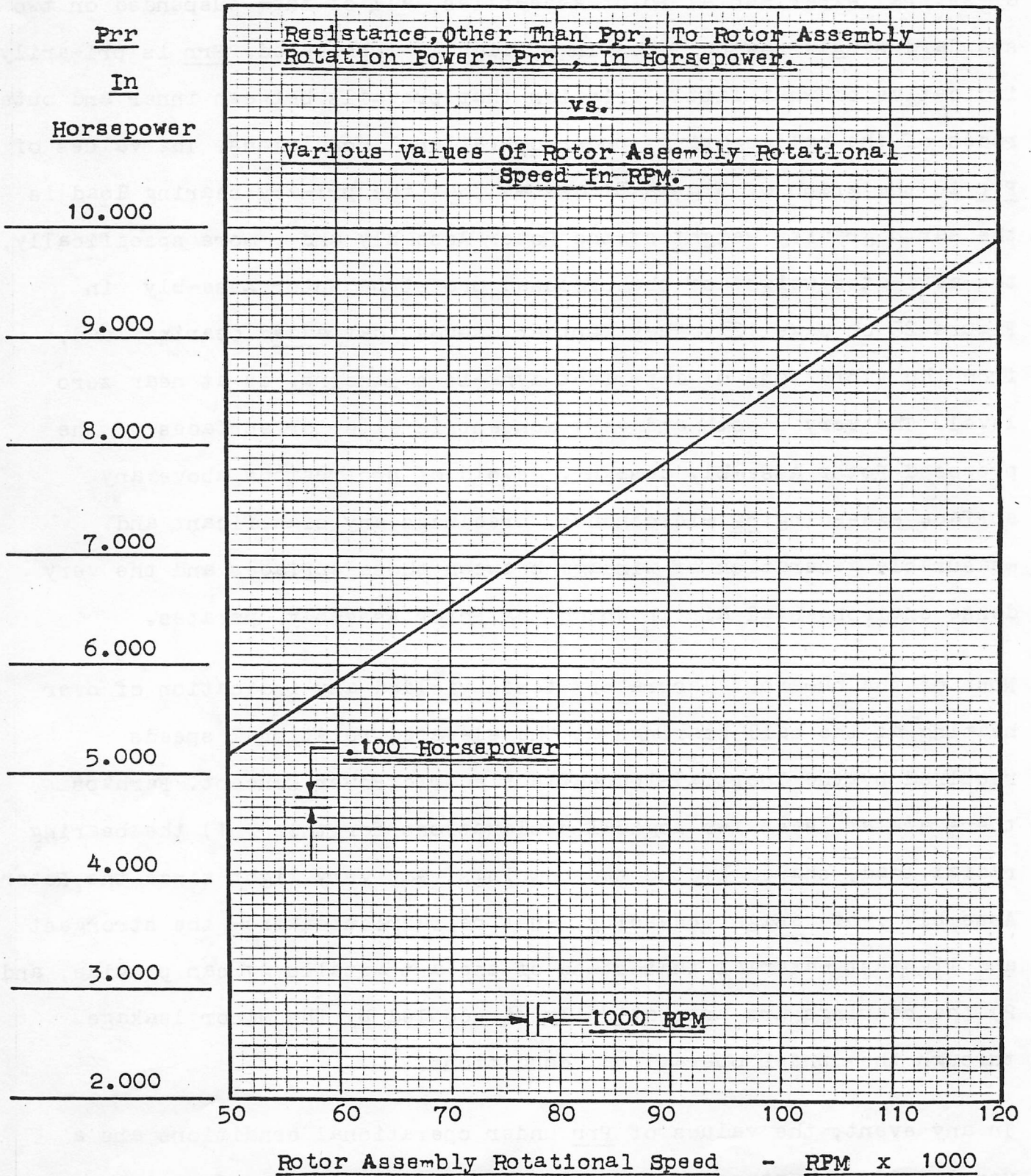
Chapter Three of this work offered an accurate and comprehensive analysis format for defining the precise value of fully developed inertial-pneumatic compression, under the probable maximum specified operational conditions that would apply to the proposed two-thruster prototype system, identified as pressure increase and differential P_i.

Chapter Four of this work offered an accurate and comprehensive analysis format for defining the precise value of fully developed rotational thrust power, converted from pneumatic pressure power P_{pp}, produced by the two Thrusters of the proposed Rotor Assembly, under the same specified maximum conditions, and identified it as P_t.

Chapter Five of this work offered an accurate and comprehensive format for defining the precise value of fully developed pneumatic flow rate through the system and its impact on other functions of the system. It also offered an equally accurate and comprehensive format for determining the precise value of the Spiral Factor, which is the measure of inertial-pneumatic compression efficiency. It also offered a format for combining formats so as to accurately define their impact on one another under specified operational conditions. It identified pneumatic flow rate as R_f, in pounds per second and in standard cubic feet per minute, SCFM. It identified the spiral factor as S_f and defined its insertion into the numerator of the compression equation. Finally, Chapter Five offered Figure 30 which provides the means to define the value of pneumatic pressure power P_{pp}.

Chapter Six, before offering the general analysis format that will effectively address its subject matter, offers Figure 31 as an effective reference for defining the value of resistance to Rotor rotation, P_{rr}.

Figure 31



The graph in Figure 31 on page 161 has been plotted from data acquired from extensive friction-measuring and reliability laboratory testing of several experimental Rotor Assemblies, all of them suspended on two standard single row ball bearings, lightly lubricated. Frr is primarily indicative of what little friction that prevails between inner and outer races of the ball bearings under operational conditions. The values of Frr in the graph of Figure 31 assume that the primary bearing load is the earth gravity weight of the Rotor Assembly and , more specifically, the estimated weight of the proposed prototype Rotor Assembly in Figure 25 on page 129. They further assume that added bearing load, from the vibrations of imperfect dynamic balancing, is at near zero level. The very smooth and very concentric exterior surfaces of the proposed Rotor Assembly design , devoid of protrusions above any surface exceeding 32 microinches, precludes any significant and measurable generation of windage between those surfaces and the very dense environmental air in which the Rotor Assembly operates.

None of the numerous laboratory tests yielded any indication of over heating at the ball bearings at the elevated rotational speeds required by the Inertial-Pneumatic Electric Power Concept. Perhaps there are at least two logical explanations for this , 1) the bearing radial load, shared by the two bearings, was very light since the Rotor Assembly , of design necessity, must be fabricated from the strongest and lightest material that state-of-the-art metallurgy can provide, and 2) the bearings are automatically air-cooled by the minor leakage through them under operational conditions.

In any event, the values of Frr under operational conditions are a very small percentage of the values of other elements of system power balance, Fpp , Pt , Fpr , Fgd (generator drive power), and Fep , the

end product of the system ,Electric Power.

The over all analysis format , applied through out this Chapter Six, co-ordinates all of the formats introduced in previous chapters and the reference graphs, such as those in Figures 30 and 31, and is applied 24 times in order to define the 192 values required to plot the 14 graphs of Figures 32 through 45 that will appear on subsequent pages of this chapter. However, only one application of the format will appear on those pages in order to spare the reader the boredom of tedious and repetative solutions , numbering 1400 or more, required in the 24 applications of the format. However, that one application will suffice to clearly illustrate the accuracy and comprehensiveness of the format and its practicality in the definition of system power balance, productivity, and efficiencies in reference to the proposed prototype two-thruster system, with a Rotor Assembly as illustrated by Figure 25 on page 129.

The graphs of Figures 32 through 45 will plot values of Pressure Increase and Differential P_i , Pneumatic Flow Rate R_f , Pneumatic Pressure Power P_{pp} , Thrust Power P_t , Particle Replacement Power P_{pr}, Resistance to Rotor Rotation Power P_{rr} , Generator Drive Power P_{gd}, and Electric Power P_{ep} against various values of Rotor Rotational Rate N, from a minimum 50,000 RPM to a maximum 120,000 RPM and against three different levels of Rotor Assembly Environmental Pressure E_p , 1000, 1500 and 2000 psig. The curves of the graphs in Figures 32 through 39 are combined in the power balance graphs of Figures 40 through 42 and in the efficiencies graphs of Figures 43 through 45.

The one application of the format that will appear on subsequent pages solves for values when N equals 100,000 RPM and E_p equals 2000 Psig.

The solutions for the initial value of P₁ become:

N = 100,000 RPM , E_p = 2000 psig @ 52°F. controlled temperature.

E_p's and Pneumatic Mass's uniform density for the First Effect

= .0061537 pound per cubic inch, lb /cu in.

Pneumatic Mass standard air volume = 146.868 cubic inches.

Pneumatic Mass earth gravity weight W for First Effect

= 146.868 x .0061537 = .904 pound.

The radius r from axial centerline of rotation to Mass center of gravity

for First Effect = radius to Mass center of standard air volume

= 1.174 inches.

The Spiral Factor S_f will have a value of one for the First and all

subsequent effects , reflecting an R_f value of zero pounds per second.

The area A of the Mass's exterior surface = 215.985 square inches,

and will remain constant for all effects.

The solution for first effect value of P₁ becomes:

$$\underline{P_1} = .000028416 \times 1 \times \frac{.904 \times 1.174}{215.985} \times 100,000 \times 100,000$$

$$= \underline{1396} \text{ psig}$$

The solution for 2nd effect value of W becomes:

$$\underline{D_{min}} = \frac{2000 + 14.7}{14.7} \times .0000449 = .0061537 \text{ lb /cu in}$$

$$\underline{D_{max}} = \frac{3396 + 14.7}{14.7} \times .0000449 = .0104177 \text{ lb /cu in}$$

$$\underline{D_{avg}} = \frac{.0061537 + .0104177}{2} = .0082857 \text{ lb /cu in}$$

$$\underline{2nd \text{ effect } W} = 146.868 \times .0082857 = \underline{1.217} \text{ lbs} \quad W/2 = .6085 \text{ lb}$$

The solution for 2nd effect value of r becomes:

$$\underline{D_{avg \text{ inner half}}} = \frac{.0061537 + .0082857}{2} = .0072197 \text{ lb /cu in}$$

$$\text{Volume inner half} = .6085 / .0072197 = 84.283 \text{ cu in}$$

$$\text{2nd effect } r = \sqrt{\frac{84.283 + 21.868}{69.115}} = \sqrt{1.536} = \underline{1.239} \text{ inches}$$

The solution for 2nd effect value of Pi becomes:

$$\underline{P_i} = .000028416 \times 1 \times \frac{1 \times 1.217 \times 1.239}{215.985} \times 100,000 \times 100,000$$

$$= \underline{1984} \text{ psig.}$$

The solution for 3rd effect W becomes:

$$\underline{D_{max}} = \frac{3984 + 14.7}{14.7} \times .0000449 = .0122137 \text{ lb /cu in}$$

$$\underline{D_{avg}} = (.0061537 + .0122137) / 2 = .0091837 \text{ lb /cu in}$$

$$\underline{\text{3rd effect } W} = 146.868 \times .0091837 = \underline{1.349} \text{ lbs} \quad W/2 = .6745 \text{ lb.}$$

The solution for 3rd effect r becomes:

$$\underline{D_{avg}} \text{ inner half} = (.0061537 + .0091837) / 2 = .0076687 \text{ lb /cu in}$$

$$\text{Volume inner half} = .6745 / .0076687 = 87.955 \text{ cu in}$$

$$\underline{\text{3rd effect } r} = \sqrt{\frac{87.955 + 21.868}{69.115}} = \sqrt{1.589} = \underline{1.261} \text{ inches}$$

The solution for 3rd effect value of Pi becomes:

$$\underline{P_i} = .000028416 \times 1 \times \frac{1.349 \times 1.261}{215.985} \times 100,000 \times 100,000$$

$$= \underline{2238} \text{ psig}$$

The solution for 4th effect W becomes:

$$\underline{D_{max}} = \frac{4238 + 14.7}{14.7} \times .0000449 = .0129895 \text{ lb /cu in}$$

$$\underline{D_{avg}} = (.0061537 + .0129895) / 2 = .0095716 \text{ lb /cu in}$$

$$\underline{\text{4th effect } W} = 146.868 \times .0095716 = \underline{1.406} \text{ lbs} \quad W/2 = .703 \text{ lb}$$

The solution for 4th effect r becomes:

$$D \text{ avg inner half} = (.0061537 + .0095716) / 2 = .0078626 \text{ lb /cu in}$$

$$\text{Volume inner half} = .703 / .0078626 = 89.411 \text{ cu in}$$

$$\text{4th effect } \underline{r} = \sqrt{\frac{89.411 + 21.868}{69.115}} = \sqrt{1.610} = \underline{1.269} \text{ inches}$$

The solution for 4th effect P1 becomes:

$$\underline{P1} = .000028416 \times 1 \times \frac{1.406 \times 1.269}{215.985} \times 100,000 \times 100,000$$

$$= \underline{2347} \text{ psig}$$

The solution for 5th effect W becomes:

$$D \text{ max} = \frac{4347 + 14.7}{14.7} \times .0000449 = .0133224 \text{ lb /cu in}$$

$$D \text{ avg} = (.0061537 + .0133224) / 2 = .0097380 \text{ lb /cu in}$$

$$\text{5th effect } \underline{W} = 146.868 \times .0097380 = \underline{1.430} \text{ lbs} \quad W/2 = .715 \text{ lb}$$

The solution for 5th effect r becomes:

$$D \text{ avg inner half} = (.0061537 + .0097380) / 2 = .0079458 \text{ lb /cu in}$$

$$\text{Volume inner half} = .715 / .0079458 = 89.985 \text{ cu in}$$

$$\text{5th effect } \underline{r} = \sqrt{\frac{89.985 + 21.868}{69.115}} = \sqrt{1.618} = \underline{1.272} \text{ inches}$$

The solution for 5th effect P1 becomes:

$$\underline{P1} = .000028416 \times 1 \times \frac{1.430 \times 1.272}{215.985} \times 100,000 \times 100,000$$

$$= \underline{2393} \text{ psig}$$

The solution for 6th effect W becomes:

$$D \text{ max} = \frac{4393 + 14.7}{14.7} \times .0000449 = .0134629 \text{ lb /cu in}$$

$$D \text{ avg} = (.0061537 + .0134629) / 2 = .0098083 \text{ lb /cu in}$$

$$\text{6th effect } \underline{W} = 146.868 \times .0098083 = \underline{1.441} \text{ lbs} \quad \underline{W}/2 = .720 \text{ lb}$$

The solution for 6th effect r becomes:

$$D \text{ avg inner half} = (.0061537 + .0098083) / 2 = .0079810 \text{ lb /cu in}$$

$$\text{Volume inner half} = .720 / .0079810 = 90.214 \text{ cu in}$$

$$\text{6th effect } \underline{r} = \sqrt{\frac{90.214 + 21.868}{69.115}} = \sqrt{1.622} = \underline{1.274} \text{ inches}$$

The solution for 6th effect P1 becomes:

$$\underline{P1} = .000028416 \times 1 \times \frac{1.441 \times 1.274}{215.985} \times 100,000 \times 100,000$$

$$= \underline{2415} \text{ psig}$$

Since there was only a 22 psig change , 00.91% , from 5th effect P1 to 6th effect P1 , the 6th effect value of P1 is fully acceptable as the initial value of P1 for subsequent insertion into the solutions for the final and fully stabilized operational values of P1 , Rf and Sf in the next phase of this application of the over all format , below.

The solution for the initial value of Rf, when the initial value of P1 has been accepted as being 2415 psig, now becomes:

Sub-solution for initial Rf for funnel pneumatic mass 14, Figure 26:

$$F_a = 2415 \times .0069397 = 16.759 \text{ lbs}$$

$$D \text{ entr} = \frac{4415 + 14.7}{14.7} \times .0000449 = .0135301 \text{ lb / cu in}$$

$$D \text{ avg} = (.0061537 + .0135301) / 2 = .0098419 \text{ lb /cu in}$$

$$W = .0056385 \times .0098419 = .0000554 \text{ lb}$$

$$a = 16.759 \times 32.16 / .0000554 = 9,728,690 \text{ ft/sec/sec}$$

$$v_a = \sqrt{2 \times 9,728,690 \times .0677083} / 2 = \sqrt{1,317,426} / 2$$

$$= 1148 / 2 = 574 \text{ ft/sec}$$

$$t = .0677083 / 574 = .0001179 \text{ second}$$

$$\underline{14's \text{ Rf in lbs/sec}} = .0000554 / .0001179 = \underline{.470} \quad \underline{\text{initial}}$$

$$\underline{14's \text{ Rf in SCFM}} = 773 \times .470 = \underline{363} \quad \underline{\text{initial}}$$

The solution for 15's initial Rf, when initial Pi = 2415 psig, becomes:

$$F_a = 2415 \times .0568494 / 2 = 68.646 \text{ lbs}$$

$$W = .0108570 \times .0098419 = .0001068 \text{ lb}$$

$$a = 68.646 \times 32.16 / .0001068 = 20,670,929 \text{ ft/sec/sec}$$

$$v_a = \sqrt{2 \times 20,670,929 \times .0677083} / 2 = \sqrt{2,799,187} / 2$$

$$= 1673 / 2 = 836.5 \text{ ft/sec}$$

$$t = .0677083 / 836.5 = .0000809 \text{ second}$$

$$\underline{15's \text{ initial Rf in lbs / sec}} = .0001068 / .0000809 = \underline{1.320}$$

$$\underline{15's \text{ initial Rf in SCFM}} = 773 \times 1.320 = \underline{1020}$$

Total initial Rf through both Thrusters in lbs/sec:

$$= 2 \times (.470 + 1.320) = \underline{3.580}$$

Total initial Rf Through both Thrusters in SCFM:

$$= 773 \times 3.580 = \underline{2767}$$

The solution for initial Sf, when initial Rf = 3.580 lbs/sec, becomes:

$$W = 146.868 \times .0098419 = 1.445 \text{ lbs}$$

$$t = 1.445 / 3.580 = .404 \text{ second}$$

$$R_s = 100,000 \times .404 / 60 = 673 \text{ rev}$$

$$A_r = 1.000 / 673 = .0014858 \text{ inch/rev}$$

$$CDM = 2.778 + (.0135301 / .0061537) = 2.778 + 2.199 = 4.977$$

$$A_i = 4.977 A_f \text{ and } A_r = (1.000 A_f + 4.977 A_f) / 2 = 2.988 A_f$$

$$A_f = A_r / 2.988 = .0014858 / 2.988 = .0004972 \text{ inch/rev}$$

$$A_i = 4.977 A_f = 4.977 \times .0004972 = .0024745 \text{ inch/rev}$$

$$A_{id} = .0024745 / 360 = .0000068 \text{ inch/deg rot}$$

$$Afd = .0004972 / 360 = .0000013 \text{ inch/deg rot}$$

$$Sf1 = 1 - \frac{.0000068}{.0000843} = 1 - .0806642 = .9193$$

$$Sff = 1 - \frac{.0000013}{.0002344} = 1 - .0055460 = .9945$$

$$\text{Initial Sf} = (.9193 + .9945) / 2 = .9569$$

= 95.69% inertial-pneumatic compression efficiency

First adjusted P1 , when initial Sf = .9569 , becomes:

$$\text{1st adj P1} = 2415 \times .9569 = \underline{2311} \text{ psig}$$

The solution for first adjusted Rf , when 1st adj P1 = 2311 psig, becomes:

Sub-solution for 14's 1st adjusted Rf becomes:

$$Fa = 2311 \times .0069397 = 16.038 \text{ lbs}$$

$$D \text{ entr} = \frac{4311 + 14.7}{14.7} \times .0000449 = .0132125 \text{ lb /cu in}$$

$$D \text{ avg} = (.0061537 + .0132125) / 2 = .0096831 \text{ lb /cu in}$$

$$W = .0056385 \times .0096831 = .0000545 \text{ lb}$$

$$a = 16.038 \times 32.16 / .0000545 = 9,463,891 \text{ ft/sec/sec}$$

$$va = \sqrt{2 \times 9,463,891 \times .0677083} / 2 = \sqrt{1,281,568} / 2$$

$$= 1132 / 2 = 566 \text{ ft/sec}$$

$$t = .0677083 / 566 = .0001196 \text{ second}$$

$$\underline{14's 1st adjusted Rf in lbs/sec} = .0000545 / .0001196 = \underline{.456}$$

$$\underline{14's 1st adjusted Rf in SCFM} = 773 \times .456 = \underline{352}$$

Sub-solution for 15's 1st adjusted Rf becomes:

$$Fa = .0568494 \times 2311 / 2 = 65.689 \text{ lbs}$$

$$W = .0108570 \times .0096831 = .0001051 \text{ lb}$$

$$a = 65.689 \times 32.16 / .0001051 = 20,100,458 \text{ ft/sec/sec}$$

$$V_a = \sqrt{2 \times 20,100,458 \times .0677083} / 2 = \sqrt{2,721,936} / 2$$

$$= 1650 / 2 = 825 \text{ ft/sec}$$

$$t = .0677083 / 825 = .0000820 \text{ second}$$

$$\underline{15's \text{ 1st adjusted Rf in lbs/sec}} = .0001051 / .0000820 = \underline{1.282}$$

$$\underline{15's \text{ 1st adjusted Rf in SCFM}} = 773 \times 1.282 = \underline{991}$$

Total 1st adjusted Rf through both Thrusters in lbs/sec:

$$= (1.282 + .456) \times 2 = \underline{3.476}$$

Total 1st adjusted Rf through both Thrusters in SCFM:

$$= 773 \times 3.476 = \underline{2687}$$

The solution for 1st adjusted Sf , when 1st adjusted Rf = 3.476 lbs/sec:

$$W = 146.868 \times .0096831 = 1.422 \text{ lbs}$$

$$t = 1.422 / 3.476 = .409 \text{ second}$$

$$R_s = 100,000 \times .409 / 60 = 682 \text{ rev}$$

$$A_r = 1.000 / 682 = .0014662 \text{ inch/rev}$$

$$CDM = 2.778 + (.0132125 / .0061537) = 2.778 + 2.147 = 4.925$$

$$A_i = 4.925 A_f \quad \text{and} \quad A_r = (1.000 A_f + 4.925 A_f) / 2 = 2.963 A_f$$

$$A_f = A_r / 2.963 = .0014662 / 2.963 = .0004948 \text{ inch/rev}$$

$$A_i = 4.925 A_f = 4.925 \times .0004948 = .0024368 \text{ inch/rev}$$

$$A_{id} = .0024368 / 360 = .0000067 \text{ inch/deg rot}$$

$$A_{fd} = .0004948 / 360 = .0000013 \text{ inch/deg rot}$$

$$S_{f1} = 1 - \frac{.0000067}{.0000843} = 1 - .079478 = .9205$$

$$S_{ff} = 1 - \frac{.0000013}{.0002344} = 1 - .0055460 = .9945$$

$$\underline{1st \text{ adjusted Sf}} = (.9205 + .9945) / 2 = \underline{.9575}$$

$$= 95.75\% \text{ inertial-pneumatic compression efficiency}$$

The solution for 2nd adjusted P1 , when 1st adj Sf = .9575, becomes:

$$\underline{2nd\ adj\ P1} = 2415 \times .9575 = \underline{2312} \text{ psig}$$

Since there was only one psig , 00.04% , change from 1st adjusted P1 to 2nd adjusted P1 , the 2nd adjusted value of P1 and the 1st adjusted values of Rf and Sf are fully acceptable as final and fully stabilized operational values.

Thus, the operational value of P1 = 2312 psig

the operational value of Rf = 3.476 lbs/sec = 2687 SCFM

the operational value of Sf = .9575 = 95.75% comp. efficiency.

Operational Pneumatic Pressure Power Ppp becomes:

$$\begin{aligned} \underline{Ppp} &= (\underline{P1} \text{ @ } \underline{2312} \text{ Graph Hp. Figure 30}) \times \text{SCFM} \times .746 \\ &= .655 \times 2687 \times .746 = \underline{1313} \text{ kilowatts} \end{aligned}$$

Operational Thrust Power Pt becomes:

$$\begin{aligned} \underline{Thrust\ T} &= ((2312 \times .0069397) + (2312 \times .0568494 / 2)) \times 2 \\ &= (16.045 + 65.718) \times 2 = 81.763 \times 2 = \underline{163.526} \text{ lbs} \end{aligned}$$

Thruster centerlines tangential velocity Vt @ 100,000 RPM = 1499 ft/sec

$$\underline{Pt} = \frac{\underline{T} \times \underline{Vt} \times .746}{550} = \frac{163.526 \times 1499 \times .746}{550} = \underline{332} \text{ kilowatts}$$

Operational Particle Replacement Power Ppr becomes:

$$\begin{aligned} \underline{Ppr} &= \frac{\underline{Rf} \times \underline{Vt}^2 \times .746}{35,376} = \frac{3.476 \times 1499 \times 1499 \times .746}{35,376} \\ &= \underline{165} \text{ kilowatts.} \end{aligned}$$

Operational Resistance to Rotor Rotation Power Prr becomes:

$$\begin{aligned} \underline{Prr} &= (\text{Figure 31 Graph Hp. @ 100,000 RPM}) \times .746 \\ &= 8.55 \times .746 = \underline{6} \text{ kilowatts , to the nearest kilowatt} \end{aligned}$$

Operational Generator Drive Power Pgd becomes:

$$\underline{Pgd} = Pt - Ppr - Prr = 332 - 165 - 6 = \underline{161} \text{ kilowatts}$$

Operational Electric Power Productivity Pep becomes:

$$\underline{Pep} = Pgd - .1 Pgd = 161 - 16 = \underline{145} \text{ kilowatts}$$

Operational Inertial-Pneumatic Compression Efficiency Ec becomes:

$$\underline{Ec} = 1 - \left(\frac{2415 - 2312}{2415} \right) = 1 - .0426501 = \underline{95.73\%}$$

Operational Thruster Pneumatic Pressure Power

Conversion Efficiency Et becomes:

$$\begin{aligned} \underline{Et} &= 1 - \left(\frac{Ppp - Pt}{Ppp} \right) = 1 - \left(\frac{1313 - 332}{1313} \right) \\ &= 1 - .7471439 = \underline{25.29\%} \end{aligned}$$

Operational Rotor Assembly Efficiency Er becomes:

$$\begin{aligned} \underline{Er} &= 1 - \left(\frac{Pt - Pgd}{Pt} \right) = 1 - \left(\frac{332 - 161}{332} \right) \\ &= 1 - .5150602 = \underline{48.49\%} \end{aligned}$$

Operational System Over All Efficiency Eoa becomes:

$$\begin{aligned} \underline{Eoa} &= 1 - \left(\frac{Ppp - Pep}{Ppp} \right) = 1 - \left(\frac{1313 - 145}{1313} \right) \\ &= 1 - .8895658 = \underline{11.04\%} \end{aligned}$$

These operational values for P₁ , R_f , P_{pp} , P_t , P_{pr} , P_{rr} , P_{gd} , P_{ep} , E_c , E_t , E_r and E_{oa} are registered on the vertical line above 100 on the graphs of Figures 32 through 39 as value 6 on curve 1.

A similar tabulation of these operational values can be accumulated from previous pages of Chapter Six for the proposed maximum conditions when N is specified at 120,000 RPM and E_p is specified at 2000 psig @ 52° F. Temperature. They are registered on the vertical line above 120 on the graphs of Figures 32 through 39 as value 8 on curve 1. The tabulation of operational values from previous pages becomes:

Thus, the operational value of P₁ = 5050 psig.

the operational value of R_f = 6.148 lbs/sec = 4752 SCFM

the operational value of S_f = .9550 = 95.50 % comp. eff.

Operational Pneumatic Pressure Power P_{pp} becomes:

$$\begin{aligned} P_{pp} &= (P_1 @ 5050 \text{ Graph Hp. Figure 30 }) \times \text{SCFM} \times .746 \\ &= .942 \times 4752 \times .746 = \underline{3339} \text{ kilowatts} \end{aligned}$$

Operational Thrust Power P_t becomes:

$$\begin{aligned} \text{Thrust } T &= ((5050 \times .0069397) + (5050 \times .0568494 / 2)) \times 2 \\ &= (35.045 + 143.545) \times 2 = 178.590 \times 2 = \underline{357.180} \text{ lbs} \end{aligned}$$

Thruster centerlines tangential velocity V_t @ 120,000 RPM = 1799 ft/sec

$$P_t = T \times \frac{V_t}{550} \times .746 = \frac{357.180}{550} \times 1799 \times .746 = \underline{872} \text{ kilowatts}$$

Operational Particle Replacement Power P_{pr} becomes:

$$\begin{aligned} P_{pr} &= \frac{R_f \times V_t^2}{35,376} \times .746 = \frac{6.148 \times 1799 \times 1799}{35,376} \times .746 \\ &= \underline{420} \text{ kilowatts} \end{aligned}$$

Operational Resistance to Rotor Rotation Power Prr becomes:

$$\begin{aligned} \underline{Prr} &= (\text{Figure 31 Graph Hp. @ 120,000 RPM}) \times .746 \\ &= 9.900 \times .746 = \underline{7} \text{ kilowatts , to the nearest kilowatt} \end{aligned}$$

Operational Generator Drive Power Pgd becomes:

$$\underline{Pgd} = Pt - Ppr - Prr = 872 - 420 - 7 = \underline{445} \text{ kilowatts}$$

Operational Electric Power Productivity Pep becomes:

$$\underline{Pep} = Pgd - .1 Pgd = 445 - 45 = \underline{400} \text{ kilowatts}$$

Operational Inertial-Pneumatic Compression Efficiency Ec becomes:

$$\underline{Ec} = 1 - \left(\frac{5295 - 5050}{5295} \right) = 1 - .0462700 = \underline{95.37\%}$$

Operational Thruster Pneumatic Pressure Power

Conversion Efficiency Et becomes:

$$\begin{aligned} \underline{Et} &= 1 - \left(\frac{Ppp - Pt}{Ppp} \right) = 1 - \left(\frac{3339 - 872}{3339} \right) \\ &= 1 - .7388439 = \underline{26.12\%} \end{aligned}$$

Operational Rotor Assembly Efficiency Er becomes:

$$\begin{aligned} \underline{Er} &= 1 - \left(\frac{Pt - Pgd}{Pt} \right) = 1 - \left(\frac{872 - 445}{872} \right) \\ &= 1 - .4896788 = \underline{51.03\%} \end{aligned}$$

Operational System Over All Efficiency Eoa becomes:

$$\begin{aligned} \underline{Eoa} &= 1 - \left(\frac{Ppp - Pep}{Ppp} \right) = 1 - \left(\frac{3339 - 400}{3339} \right) \\ &= 1 - .88020360 = \underline{11.98\%} \end{aligned}$$

Figure 32

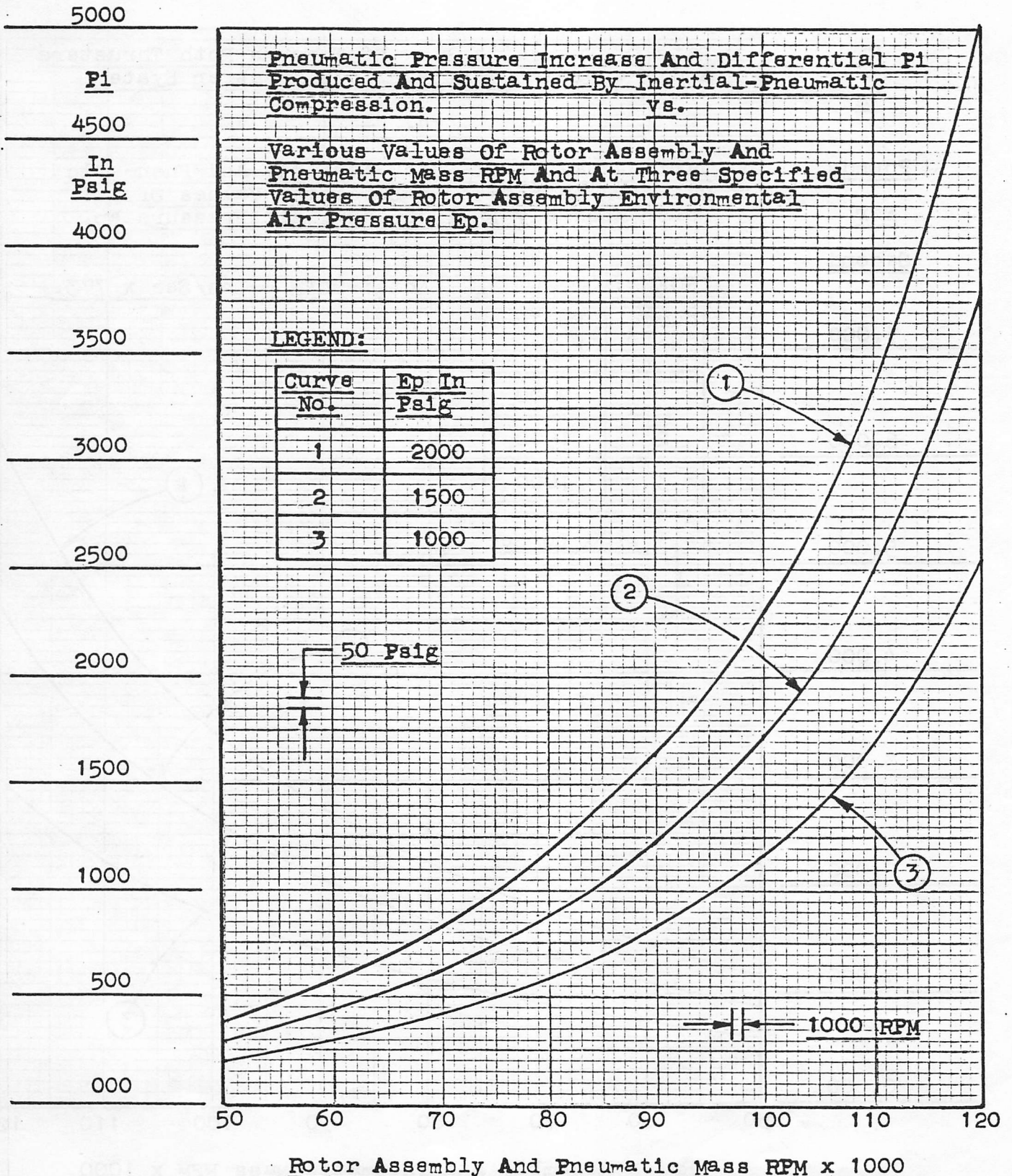


Figure 33

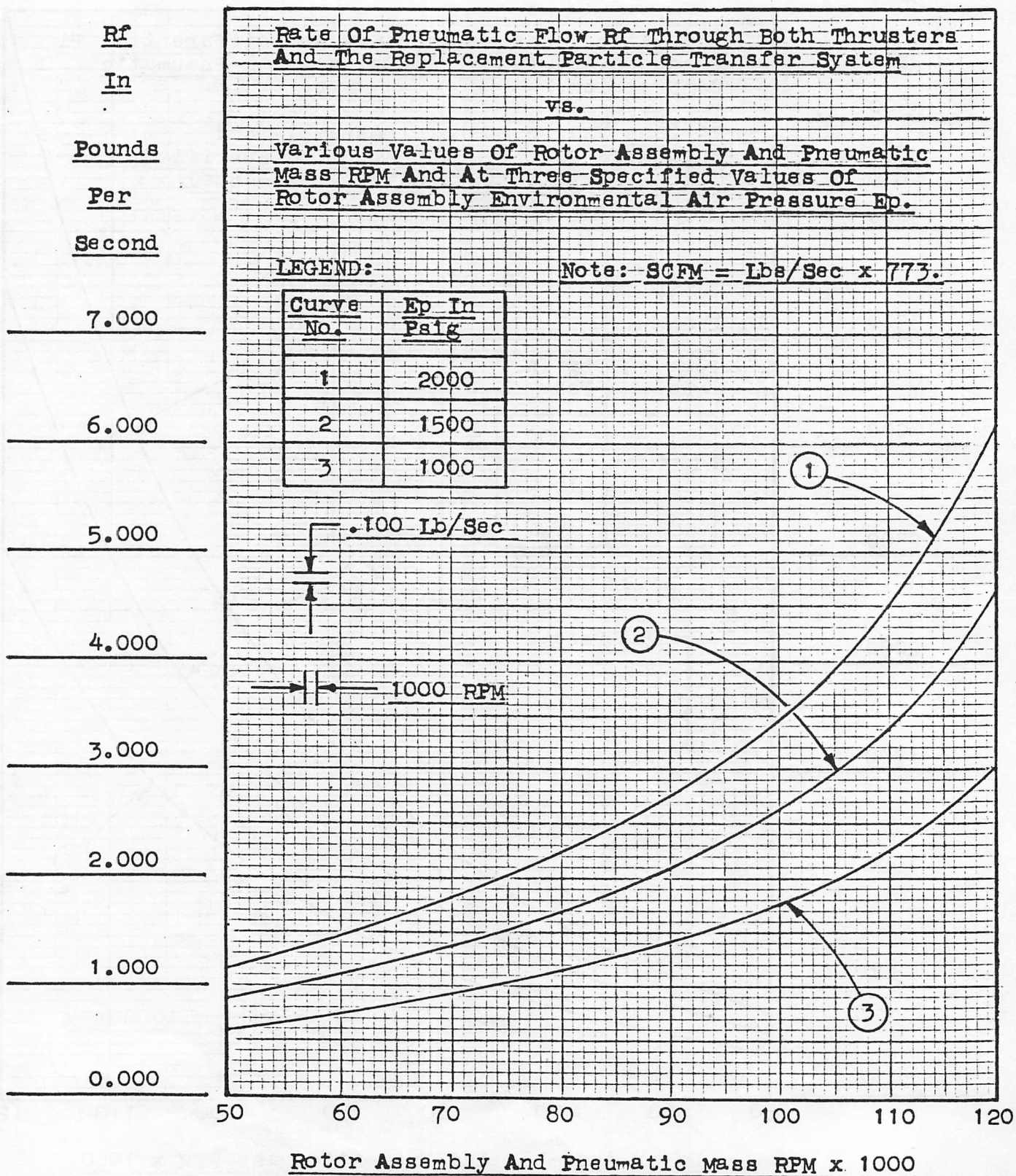


Figure 34

Ppp
In
Kilowatts

Pneumatic Pressure Power Ppp, Produced, Sustained
And Delivered To Both Thruster Entrances At P1
Pressure And Rf Flow Rate By Inertial-Pneumatic
Compression. vs.

Various Values Of Rotor Assembly And Pneumatic
Mass RPM And At Three Specified Values Of
Rotor Assembly Environmental Air Pressure Ep.

LEGEND:

Note: Horsepower = Kilowatts
.746

<u>Curve</u> <u>No.</u>	<u>Ep In</u> <u>Psig</u>
1	2000
2	1500
3	1000

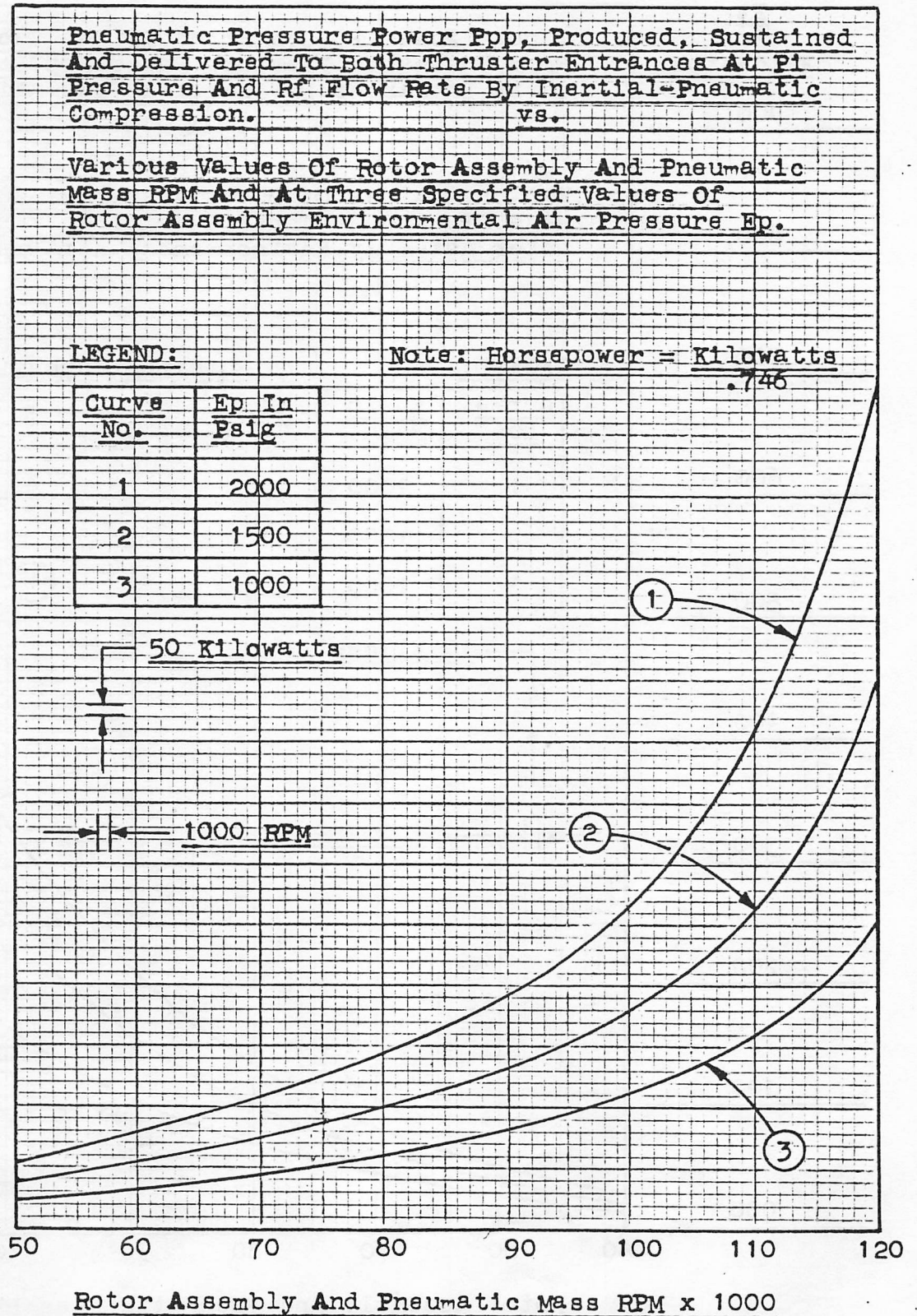


Figure 35

$\frac{P_t}{P_{in}}$
Kilowatts

Thrust Power P_t , Converted By The Two Thrusters
From Pneumatic Pressure Power P_{pp} , Delivered To
Their Entrances By Inertial-Pneumatic Compression.

vs.

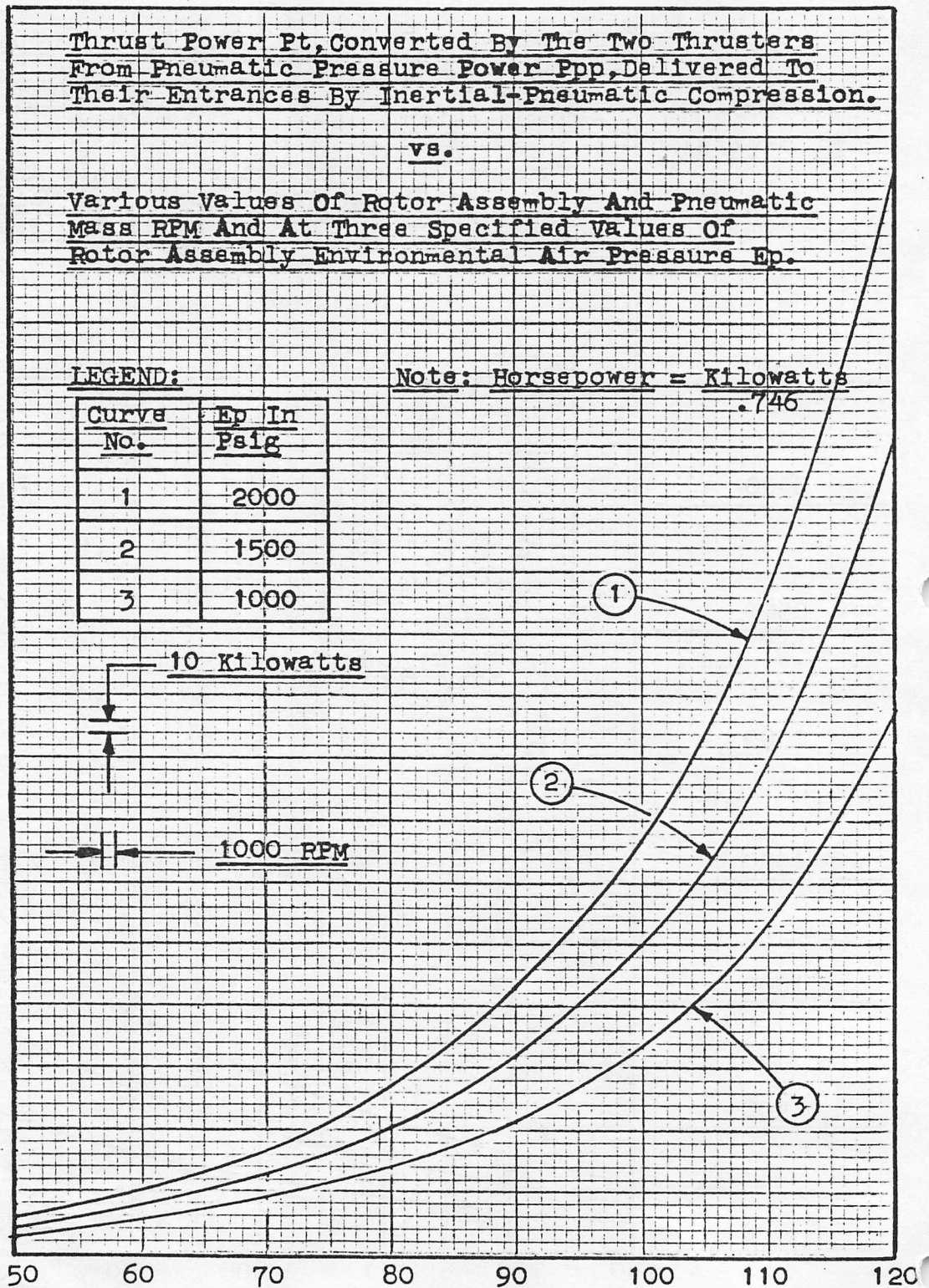
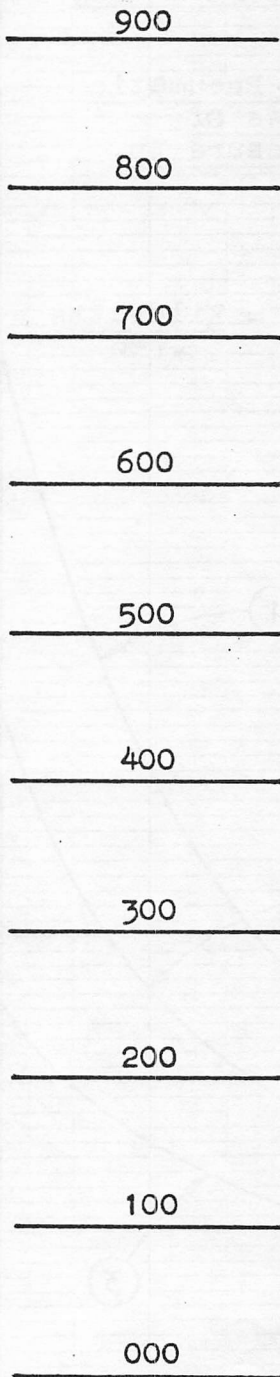
Various Values Of Rotor Assembly And Pneumatic
Mass RPM And At Three Specified Values Of
Rotor Assembly Environmental Air Pressure E_p .

LEGEND:

Note: Horsepower = Kilowatts

.746

<u>Curve No.</u>	<u>E_p In Psig</u>
1	2000
2	1500
3	1000



Rotor Assembly And Pneumatic Mass RPM x 1000

Figure 36

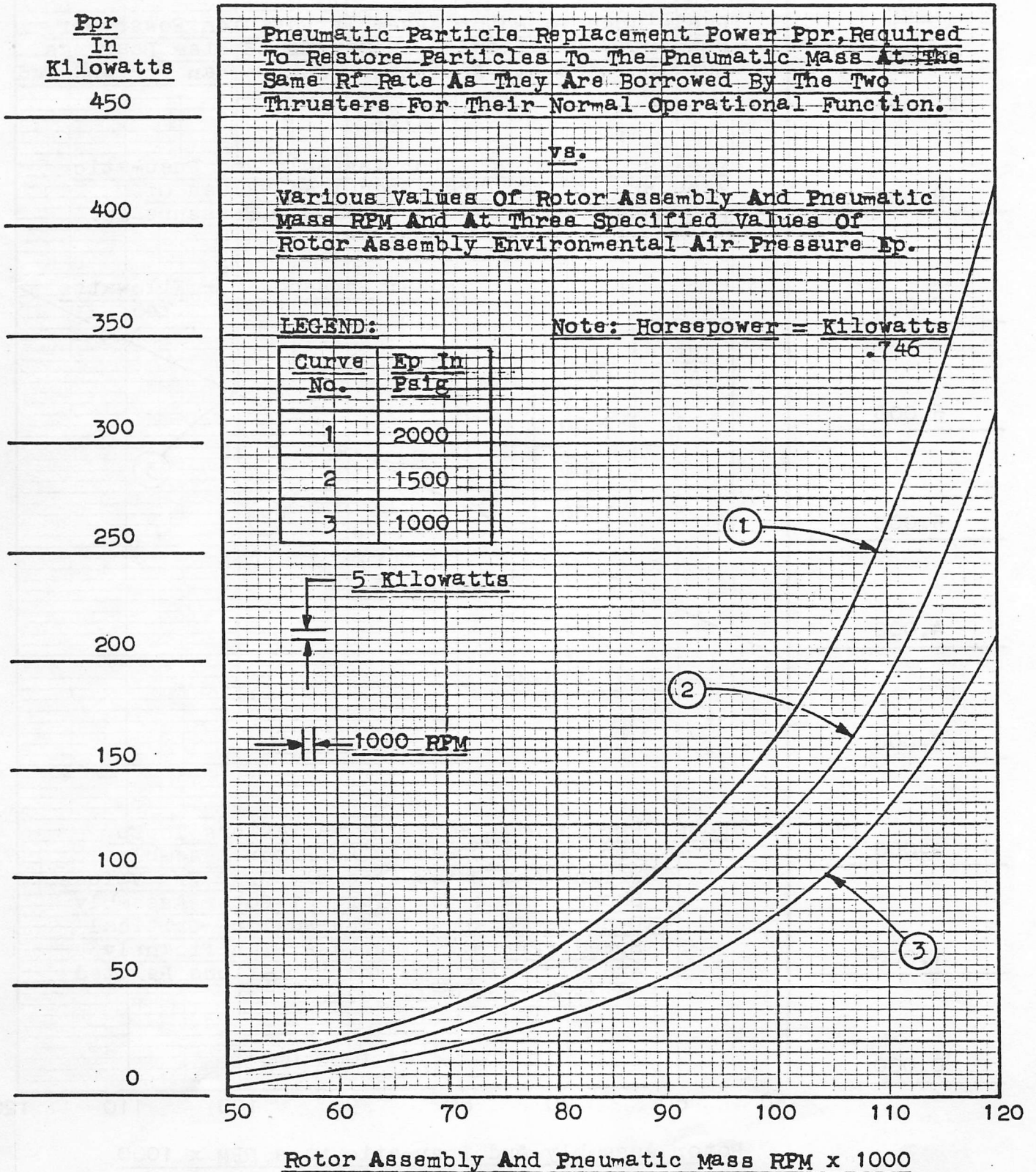


Figure 37

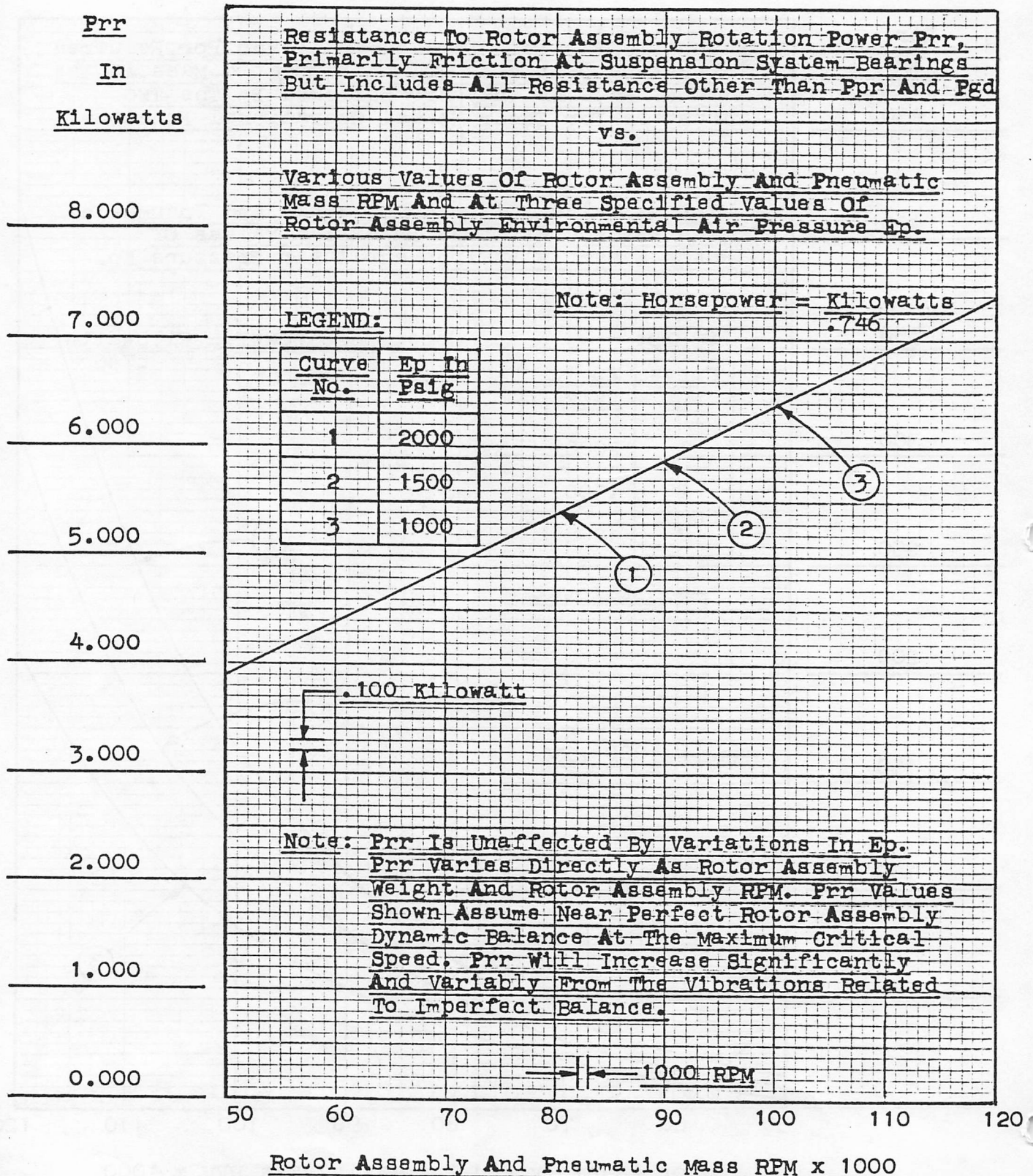


Figure 38

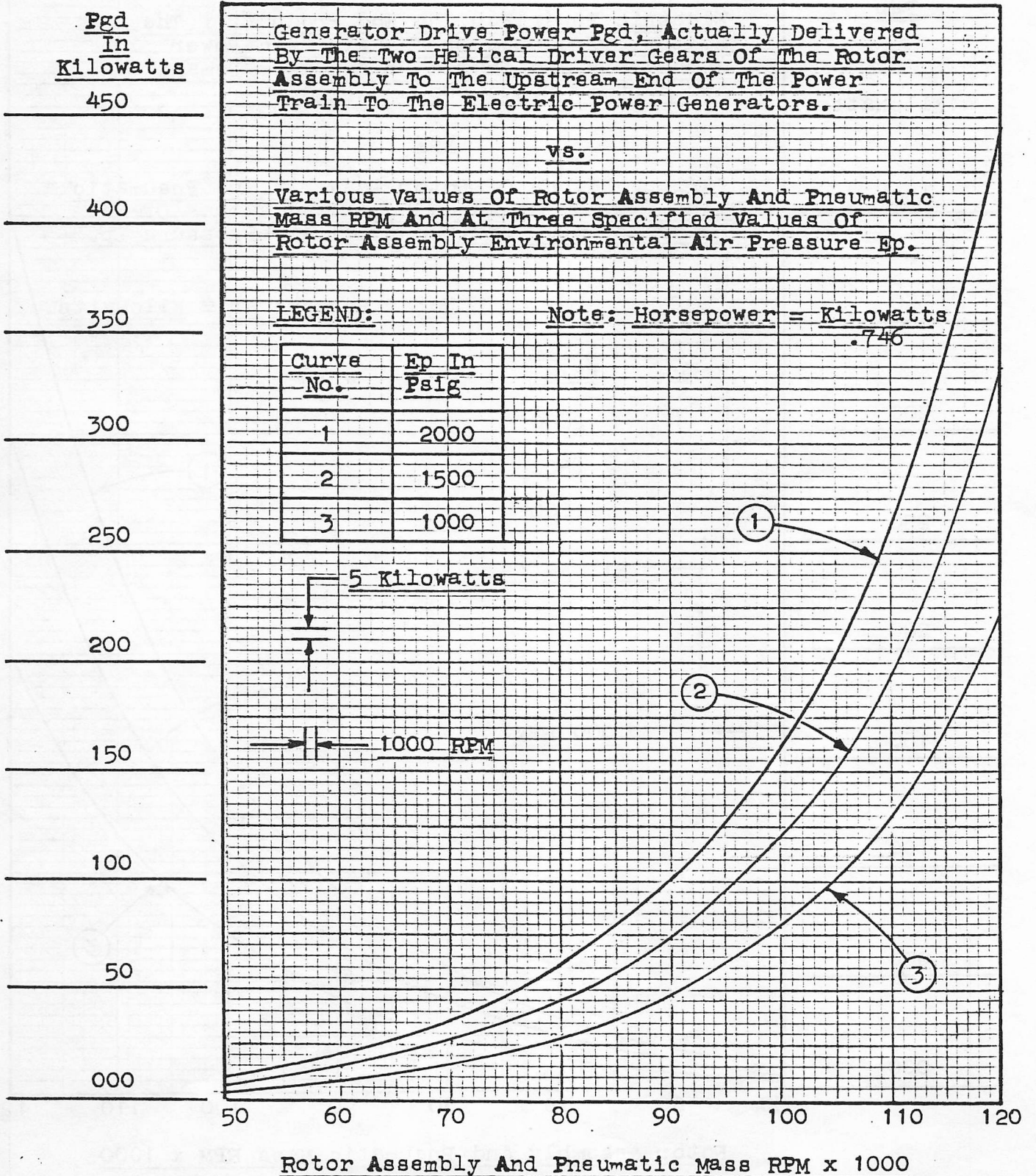


Figure 39

Pep
In
Kilowatts

Electric Power Pep, The End Product Of The System , Produced By The Electric Power Generators And Shared By Consumer Demand And A Dummy System Control Load.

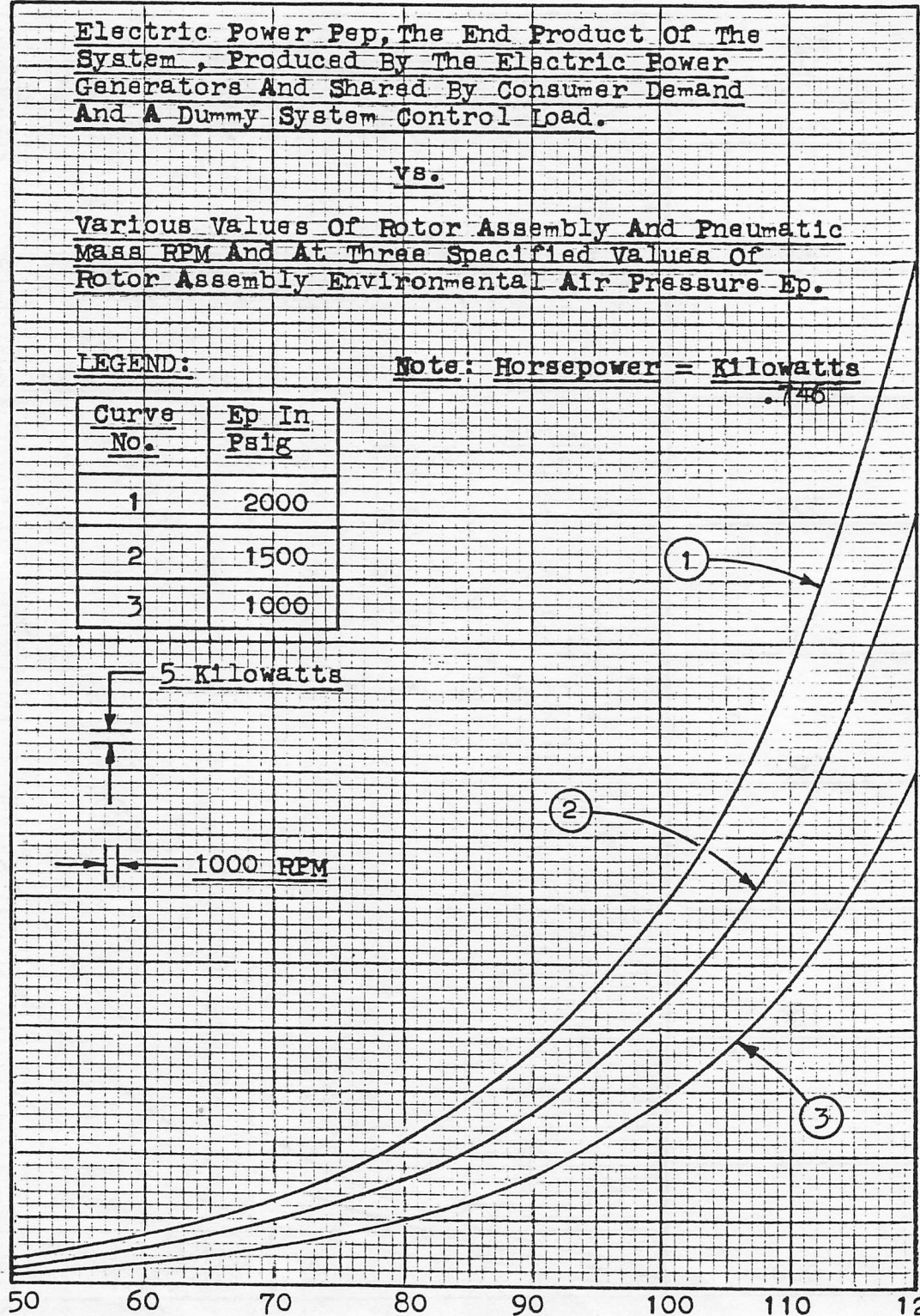
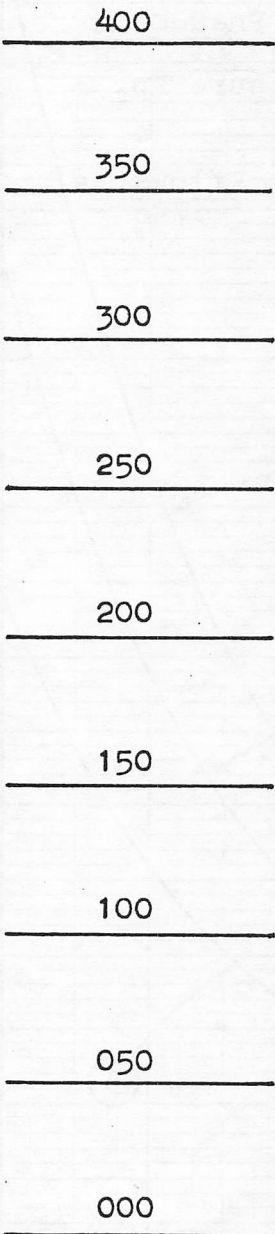
Vs.

Various Values Of Rotor Assembly And Pneumatic Mass RPM And At Three Specified Values Of Rotor Assembly Environmental Air Pressure - Ep.

LEGEND:

Note: Horsepower = Kilowatts
.746

<u>Curve No.</u>	<u>Ep In Psig</u>
1	2000
2	1500
3	1000



Rotor Assembly And Pneumatic Mass RPM x 1000

Figure 40

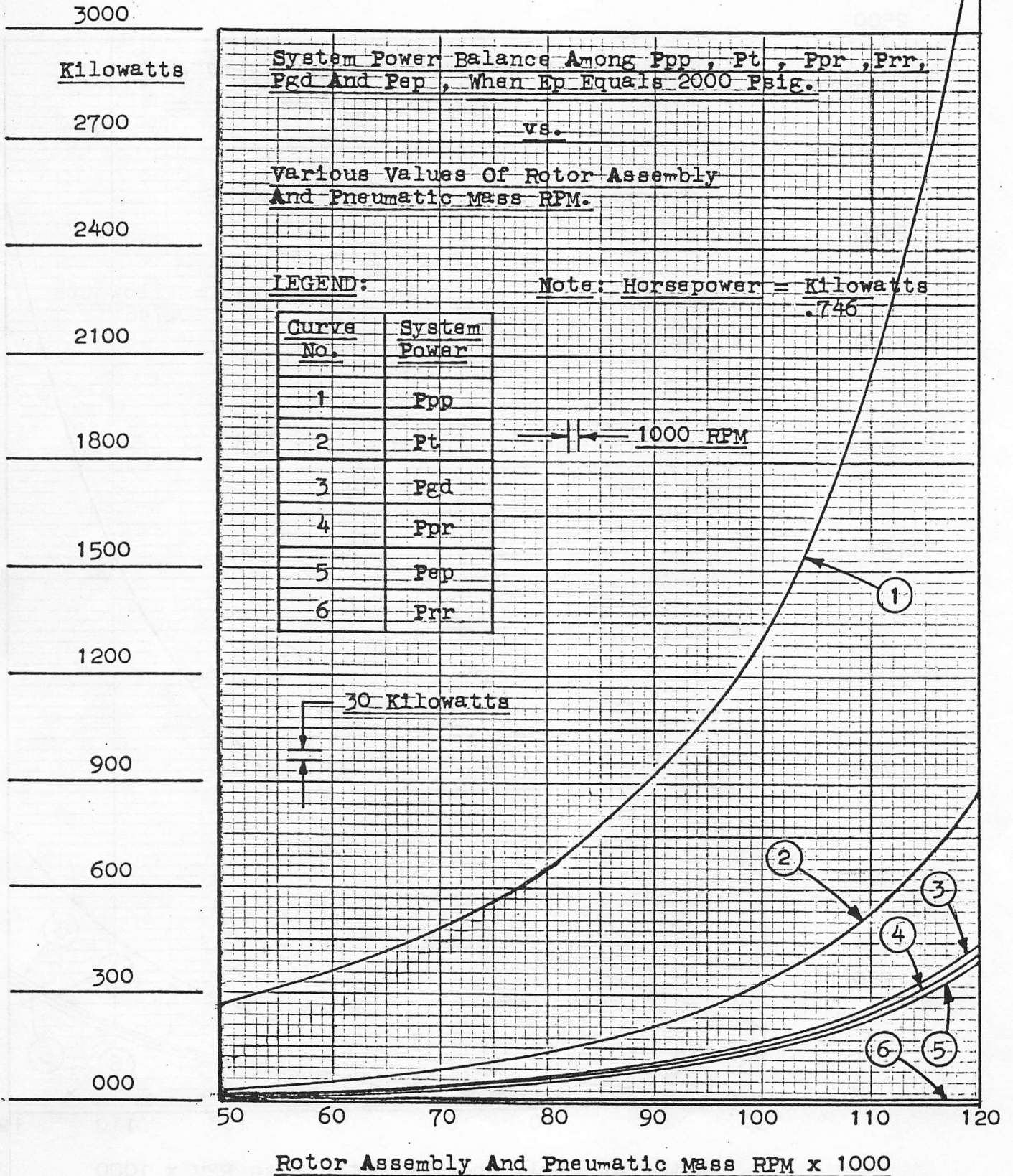


Figure 41

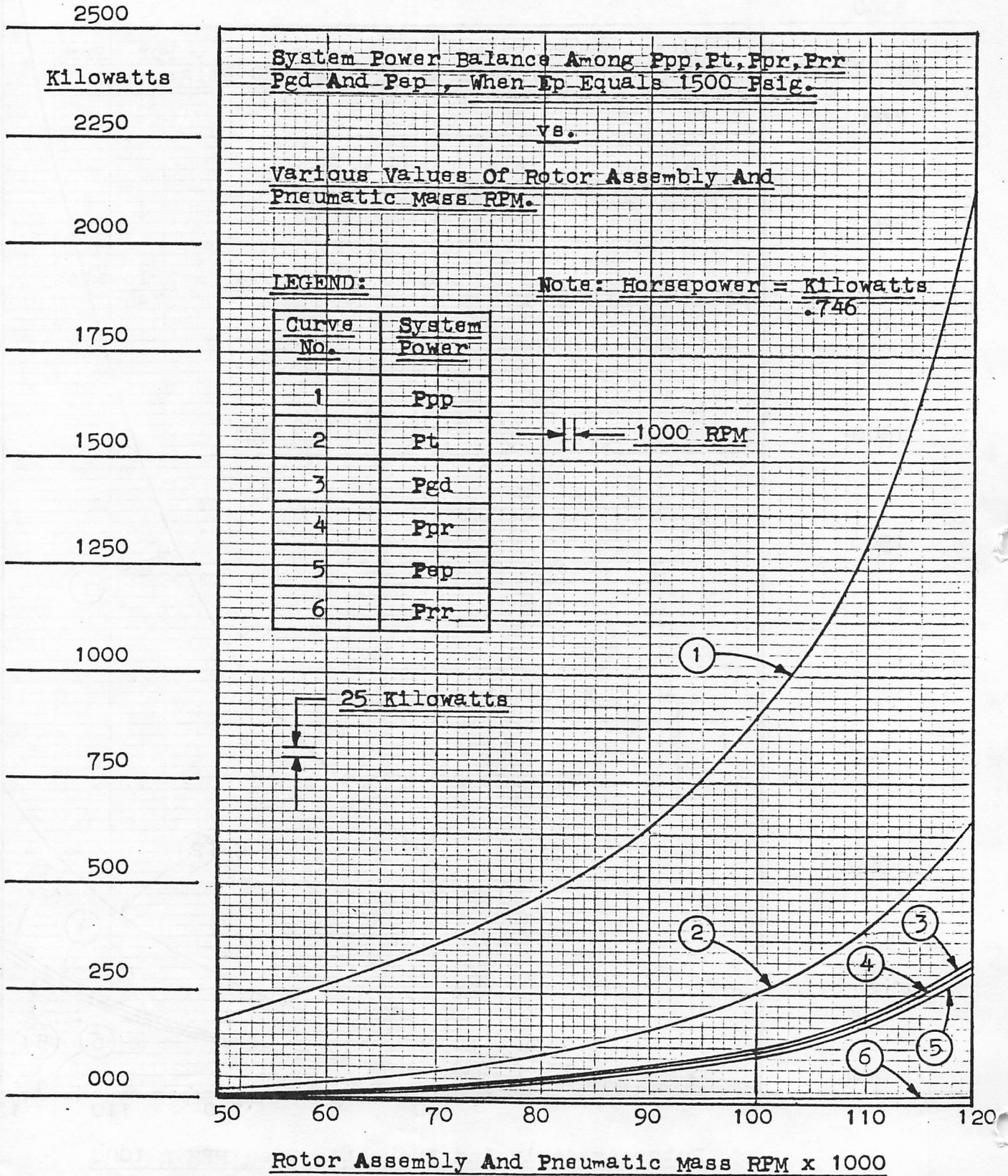


Figure 42

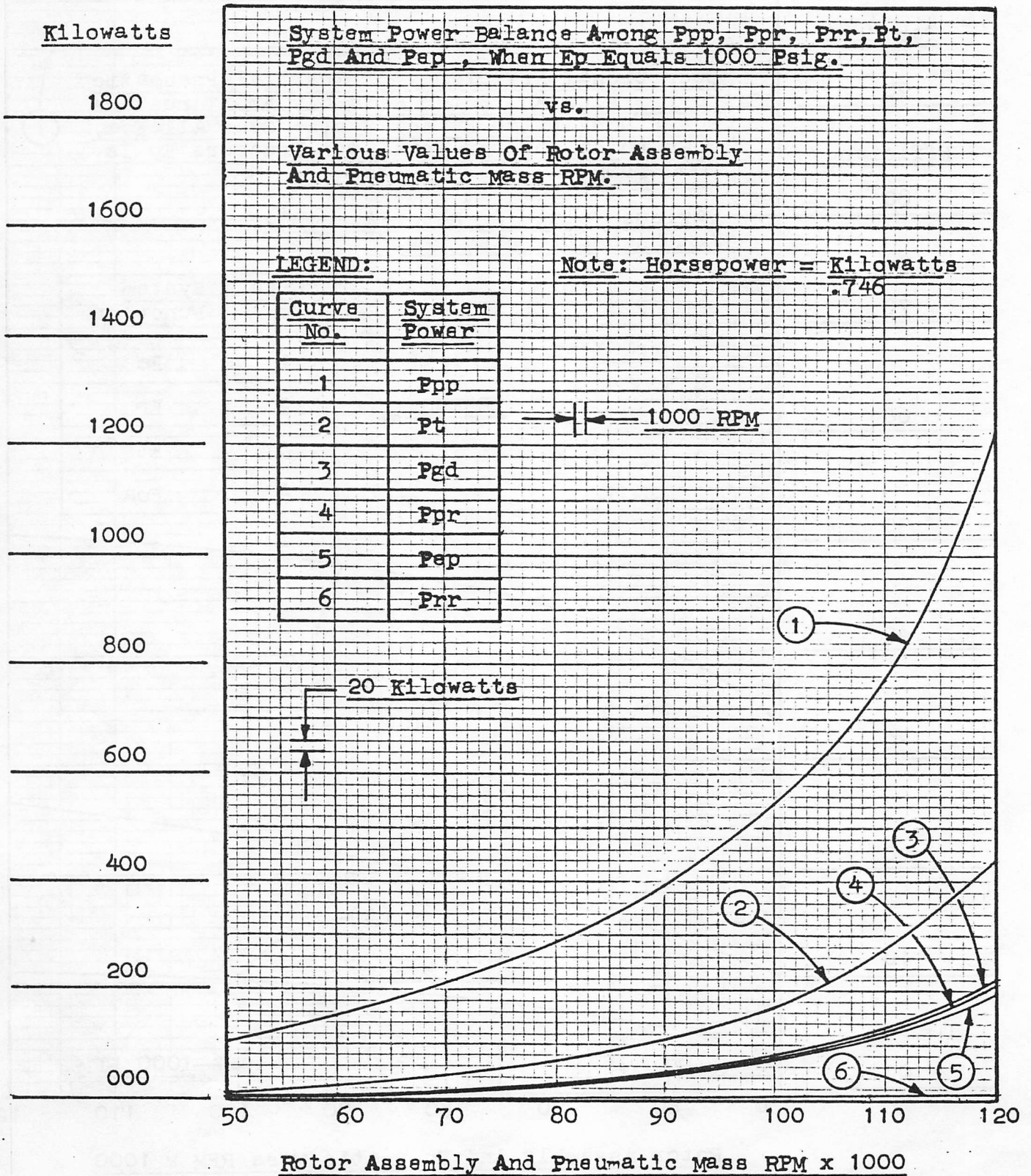


Figure 43

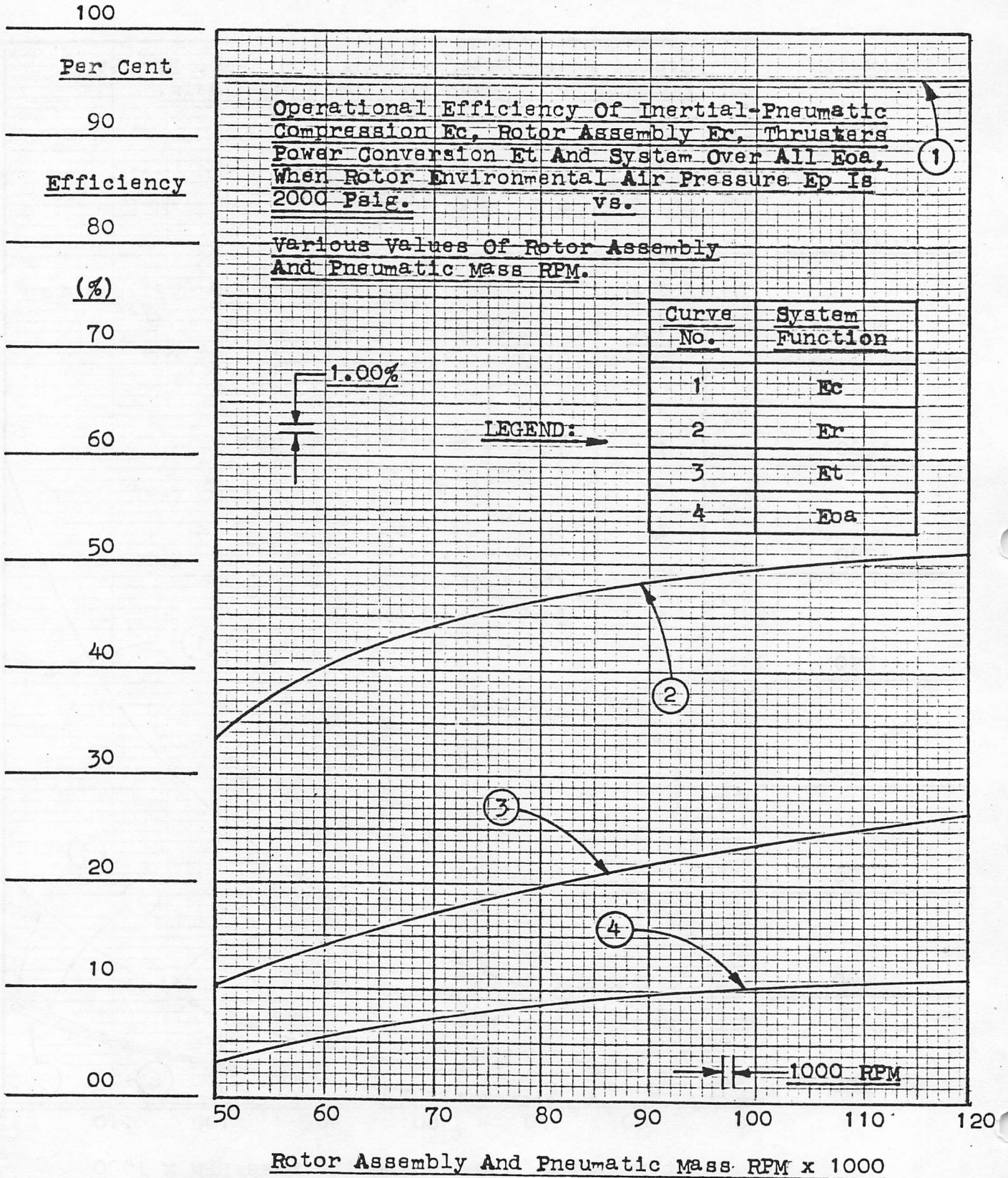


Figure 44

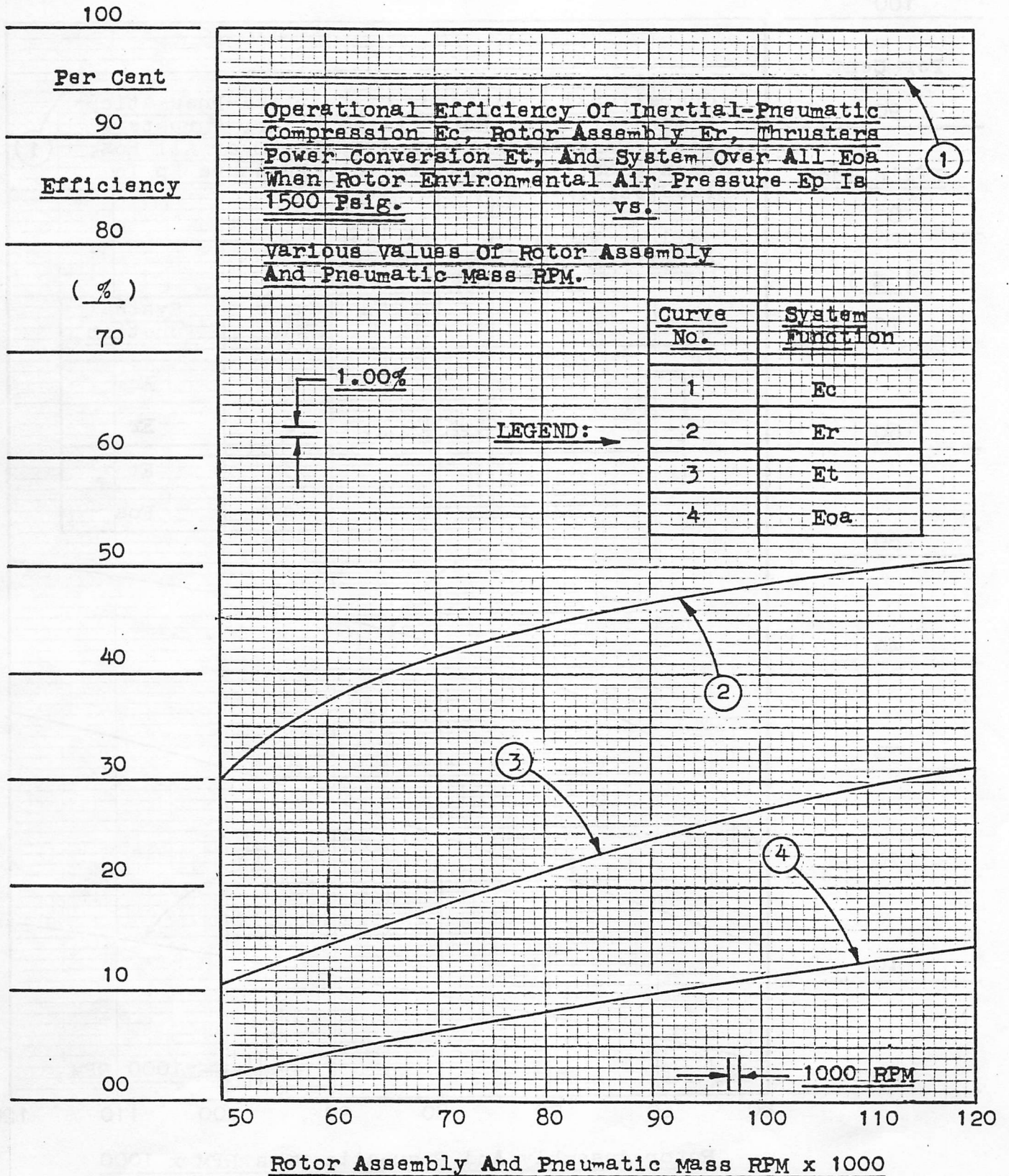


Figure 45

